

**EXPINT1****PURPOSE**

Compute the exponential integral of order 1.

**DESCRIPTION**

For positive x, the exponential integral of order 1 is defined as:

$$E_1(x) = \int_x^{\infty} \frac{e^{-t}}{t} dt \quad x > 0 \quad (\text{EQ Aux-130})$$

For negative x, the exponential integral of order 1 is defined to be the Cauchy principal value:

$$E_1(x) = -Ei(-x) \quad x < 0 \quad (\text{EQ Aux-131})$$

where Ei is defined as:

$$Ei(x) = \int_{-x}^{\infty} \frac{e^{-t}}{t} dt \quad x > 0 \quad (\text{EQ Aux-132})$$

The E1 function is undefined for zero.

**SYNTAX**

LET <y> = EXPINT1(<x>) <SUBSET/EXCEPT/FOR qualification>

where <x> is a non-zero number, variable, or parameter;

<y> is a variable or a parameter (depending on what <x> is where the computed EXPINT1 integral values are stored; and where the <SUBSET/EXCEPT/FOR qualification> is optional.

**EXAMPLES**

LET A = EXPINT1(0.1)

LET A = EXPINT1(-0.1)

LET X2 = EXPINT1(X)

**NOTE**

DATAPLOT uses the routine E1 from the SLATEC Common Mathematical Library to compute this function. SLATEC is a large set of high quality, portable, public domain Fortran routines for various mathematical capabilities maintained by seven federal laboratories.

**DEFAULT**

None

**SYNONYMS**

None

**RELATED COMMANDS**

EXPINTN	=	Compute the exponential integral of order N.
EXPINTE	=	Compute the principla value of the exponential integral.
ERF	=	Compute the error function.
SININT	=	Compute the sine integral.
COSINT	=	Compute the cosine integral.
LOGINT	=	Compute the logarithmic integral.

**REFERENCE**

"Handbook of Mathematical Functions, Applied Mathematics Series, Vol. 55," Abramowitz and Stegun, National Bureau of Standards, 1964 (chapter 5).

**APPLICATIONS**

Special Functions

**IMPLEMENTATION DATE**

94/9

**PROGRAM**

TITLE E1 EXPONENTIAL INTEGRAL  
PLOT EXPINT1(X) FOR X = 0.01 0.01 3 AND  
PLOT EXPINT1(X) FOR X = -0.01 -0.01 -2

